Does Agriculture Lead the Economy's Growth?

A Quantitative Analysis of Asian Countries after the Green Revolution

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Today's Presentation

- Motivation and Questions
- The Model
- Results
- Conclusion

Motivation and Questions (Object)

The object

- To analyze the effect of a change in agri production on the whole economy with a model
- To test it using simulation
- Asian Countries, after the Green Revolution
 —Thailand and India, 1960–2000

The Green Revolution

- Modern varieties of primary crops
- Use of capital input
- after 1960s, in Asia and America

Motivation and Questions (Fact)

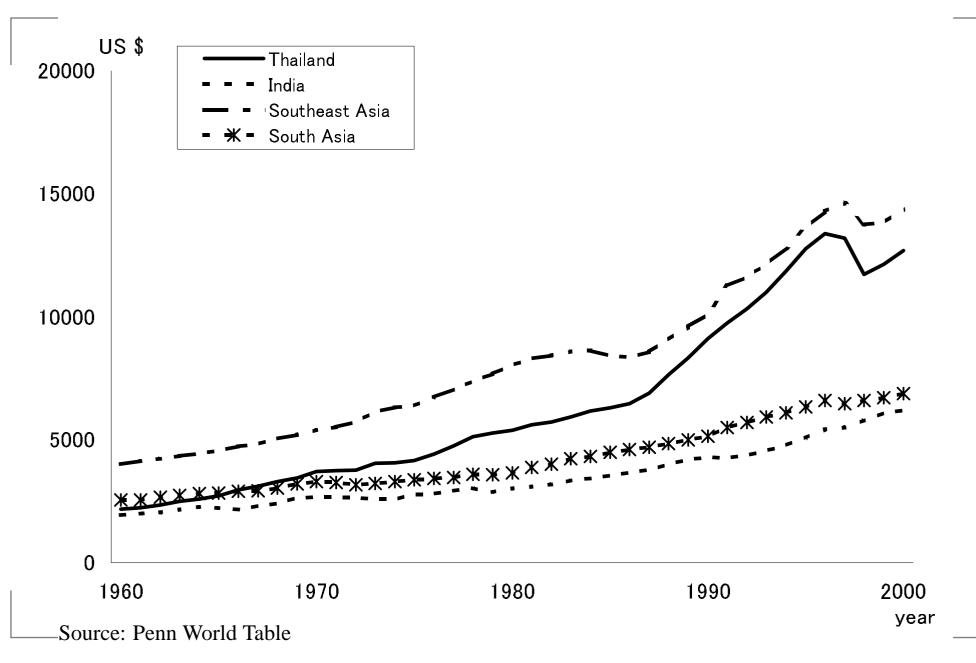
A well-known observation –Asia after 1950s Similar events Agricultural Revolution –Green Revolution \downarrow Industrial Revolution –Asian Miracle Agri production change \rightarrow Manuf growth \rightarrow Ratio of Agri \downarrow

Is this causaility?

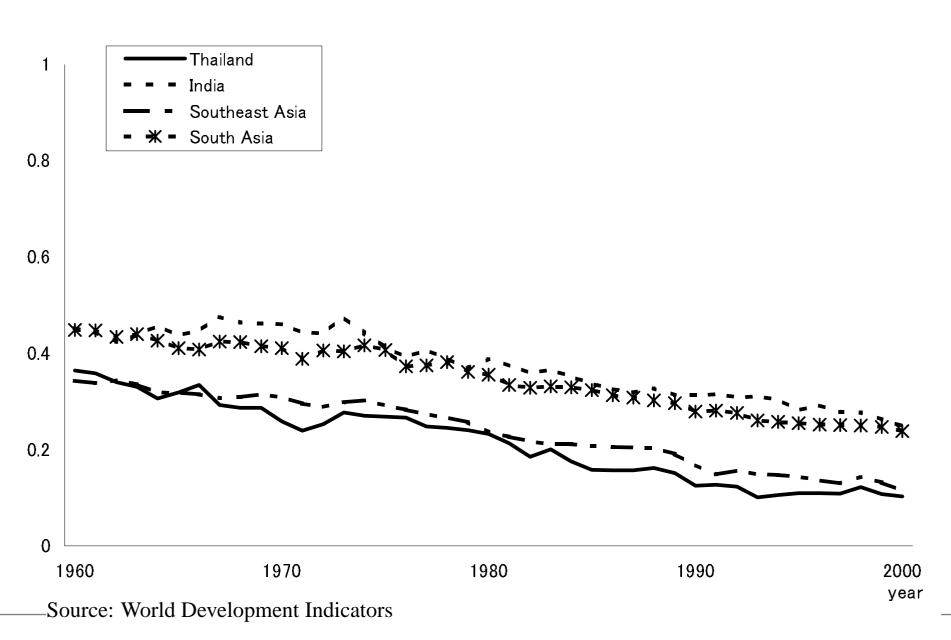
—____ Yes, in

Johnson (2000), Gollin et al.(2002), etc...

Motivation and Questions (GDP per worker)



Motivation and Questions (Ratio of Agri)



Motivation and Questions (Literature)

Theory

Lewis (1954), Johnston and Mellor (1961), Jorgenson (1961), Matsuyama (1992)

Simulation

Echevarria (1995, 1997), Murata (2002), Tamura (2002), Hansen and Prescott (2002)

 Green Revolution and Income Difference Gollin et al.(2001), Restuccia et al.(2004)

My research

analyzes growth facts of Asia quantitatively.

Motivation and Questions (Hypothesis)

Questions

- Why did some Asian countries suddenly start rapid growth from low income and growth?
- What is the role of the agriculture for the growth?

Hypothesis

▲ A change in agri technology (Green Revolution) → overcome subsistence food consumption, capital accumulation → increase manuf production.

Model (Environment)

- Infinite horizon
- Homogenous Representative agent
- Exogenous Population growth
- Perfect Foresight with no uncertainty
- Closed economy
- 2 production technologies (Agri, manuf)
- 2 goods (explicit treatment of agri and manuf)
- Embodied the Engel's law in HH preference

Model (HH)

The HH maximizes

s.t.
$$\begin{split} \sum_{t=0}^{\infty} \beta^t N_t (\sigma \ln(c_{at} - \alpha) + (1 - \sigma) \ln c_{mt}) \\ \leq p_t C_{at} + C_{mt} + K_{t+1} \\ \leq p_t Y_{at} + w_t N_{mt} + r_t K_{mt} + (1 - \delta) K_t \\ N_{at} + N_{mt} \leq N_t \\ K_{at} + K_{mt} = K_t \\ Y_{at} = A_{at} K_{at}^{\phi} N_{at}^{\psi} (Land)^{1 - \phi - \psi} \\ \text{with} \quad A_{at+1} / A_{at} = \chi. \end{split}$$

Model (Firm and RC)

The firm maximizes

s.t.
$$Y_{mt} - w_t N_{mt} - r_t K_{mt}$$
$$Y_{mt} = A_{mt} K_{mt}^{\theta} N_{mt}^{1-\theta}$$
$$with \quad A_{mt+1}/A_{mt} = \gamma_t^{1-\theta}.$$

Resource Constraints are:

$$C_{at} = Y_{at}$$

 $C_{mt} + K_{t+1} = Y_{mt} + (1 - \delta)K_t.$

Model (Competitive Equilibrium)

Definition: A *Competitive Equilibrium* of the economy is a sequence of prices $\{p_t, w_t, r_t\}_{t=0}^{\infty}$ and associated quantities

 $\{C_{at}, C_{mt}, N_{at}, N_{mt}, Y_{at}, Y_{mt}, K_{at}, K_{mt}, K_{t+1}\}_{t=0}^{\infty}$ given exogenous values $\{A_{mt}, A_{at}, N_t\}_{t=0}^{\infty}$ and initial value K_0 such that, for all t,

- i) the household maximizes the utility as prices given;
- ii) the firm maximizes the profit as prices given;
- iii) resource constraints are satisfied.

Model (Transformation)

To calculate SS values, values are detrended:

$$\tilde{z}_t = \frac{Z_t}{A_{mt}^{1/(1-\theta)} N_t}$$

where $Z_t = C_{mt}, C_{at}, K_t, K_{mt}, K_{at}$ and

$$\tilde{c}_{at} = \frac{C_{at}}{A_{at}A_{mt}^{(\phi/(1-\theta)}N_t^{\phi+\psi}}.$$

Define $x_t = \tilde{k}_{mt}/n_{mt}$.

Model (Eqb conditions)

$$\tilde{c}_{mt} + \tilde{k}_{t+1}n_t\gamma_t = \tilde{k}_{mt}x_t^{\theta-1} + (1-\delta)\tilde{k}_t$$

$$\tilde{c}_{at} = \tilde{k}_{at}^{\phi}n_{at}^{\psi}$$

$$\frac{\gamma_t}{\beta}\frac{\tilde{c}_{mt+1}}{\tilde{c}_{mt}} = \theta x_{t+1}^{\theta-1} + 1 - \delta$$

$$\theta x_t^{\theta-1} = \frac{\sigma\phi}{1-\sigma}\frac{\tilde{c}_{mt}}{\tilde{c}_{at}-\alpha_t}\frac{\tilde{c}_{at}}{\tilde{k}_{at}}$$

$$(1-\theta)x_t^{\theta} = \frac{\sigma\psi}{1-\sigma}\frac{\tilde{c}_{mt}}{\tilde{c}_{at}-\alpha_t}\frac{\tilde{c}_{at}}{n_{at}}$$

$$1 = n_{at} + n_{mt}$$

$$\tilde{k}_t = \tilde{k}_{at} + \tilde{k}_{mt}$$

$$x_t = \tilde{k}_{mt}/n_{mt}$$

Model (Difference eq)

The conditions can be reduced to

$$(\tilde{c}_{at+1}, \tilde{k}_{at+1}) = F(\tilde{c}_{at}, \tilde{k}_{at}, \Theta_t)$$

where Θ_t is set of exogenous variables.

Shooting Algorithm: Given \tilde{k}_{a0} , we guess \tilde{c}_{a0} iteratively. Find appropriate \tilde{c}_{a0} converging to SS.

 \Rightarrow All values are calculated.

Results (Prameters)

		Thailand	India
n	1+pop g.	1.010	1.019
$(\gamma-1)^{1- heta}$	manuf TFP g.	1.041	1.046
heta	manuf K share	1/3	
δ	dep. rate	0.050	0.046
χ	1+agri TFP g.	1.00	
ϕ	agri K share	0.40	
ψ	agri N share	0.50	
eta	disc. factor	0.95	
σ	food share	0.20	0.40
lpha	subsist. food	$c_{a1960} \times 0.45$	
d e and long mun values. A stud values and used hefens 2000			

n and γ are long-run values. Actual values are used before 2000.

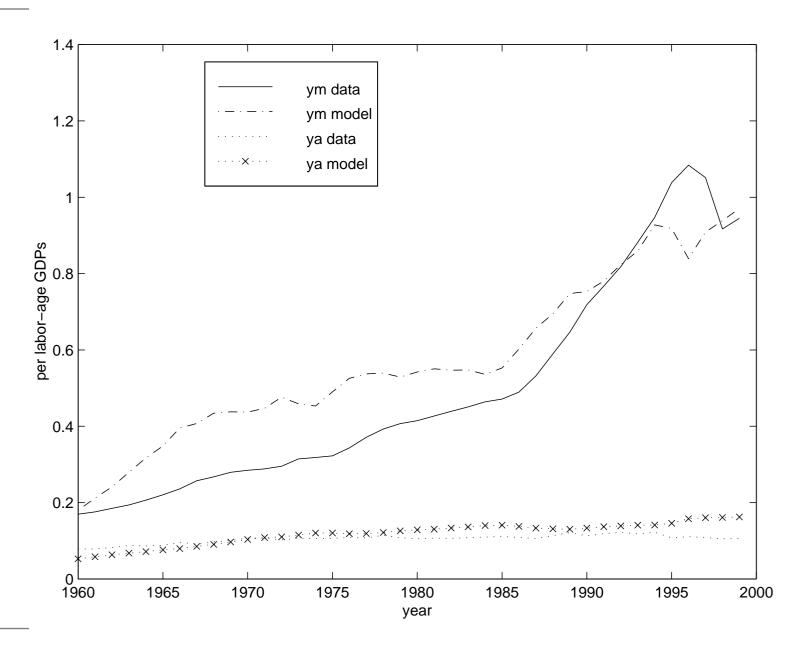
(Actual γ is up to 1996 for Thailand.)

Results (Summary)

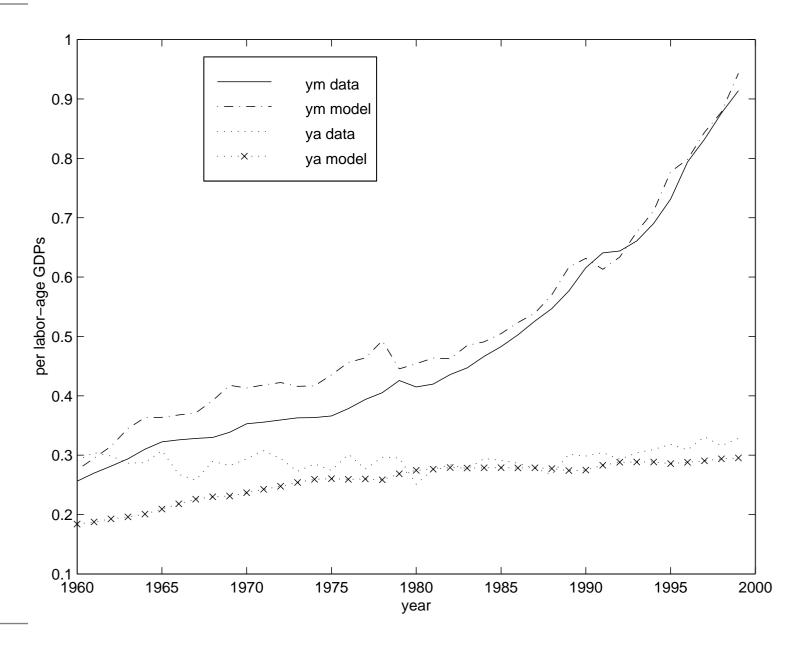
- **Baseline**
 - The model can trace growth paths
 - and GDP ratio
- Counterfactual Experiment (if GR didn't realize.)
 - Set $\phi = 0.25$ low capital share, high land share (Hayami and Ruttan (1985)).
 - Ratio of Agri: High

This may be because of reduction of returns to scale.

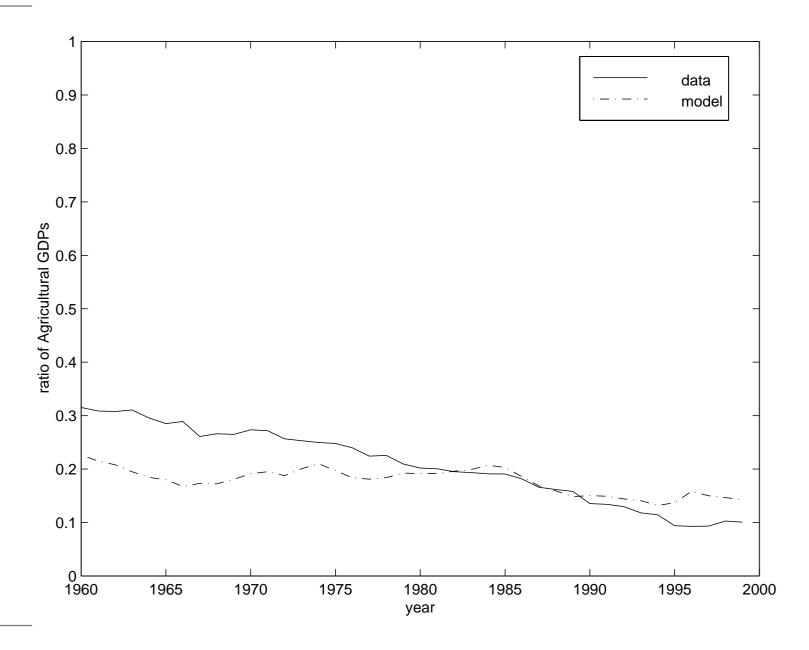
Results (GDPs, Thailand)



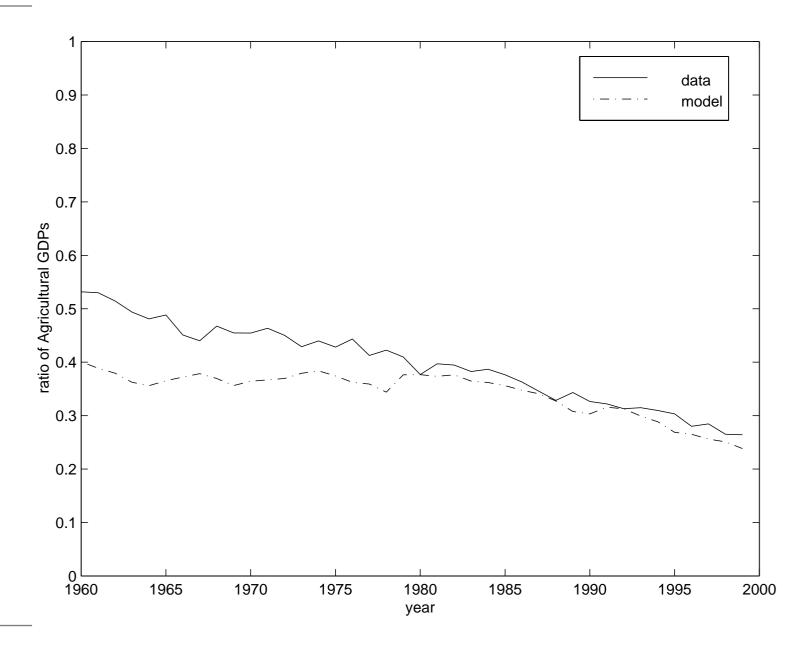
Results (GDPs, India)



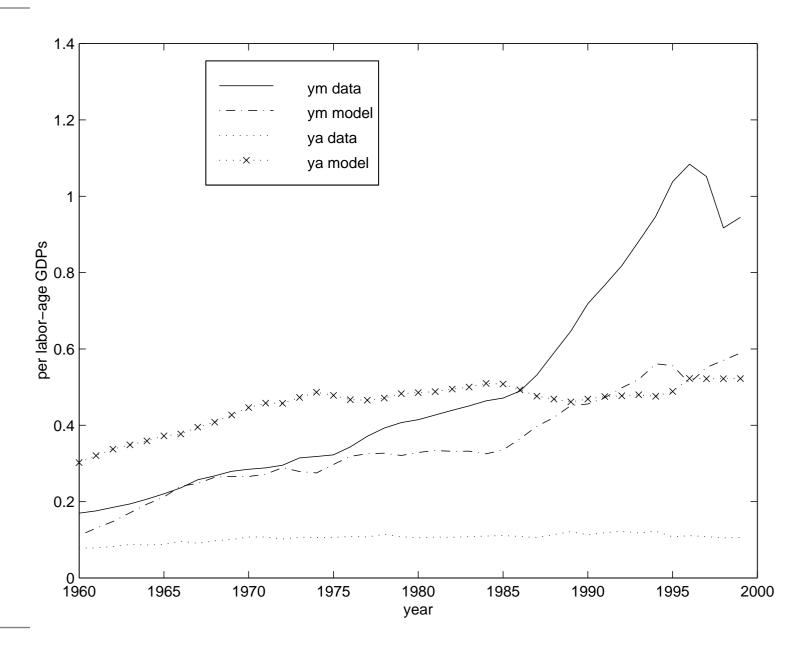
Results (Ratio, Thailand)



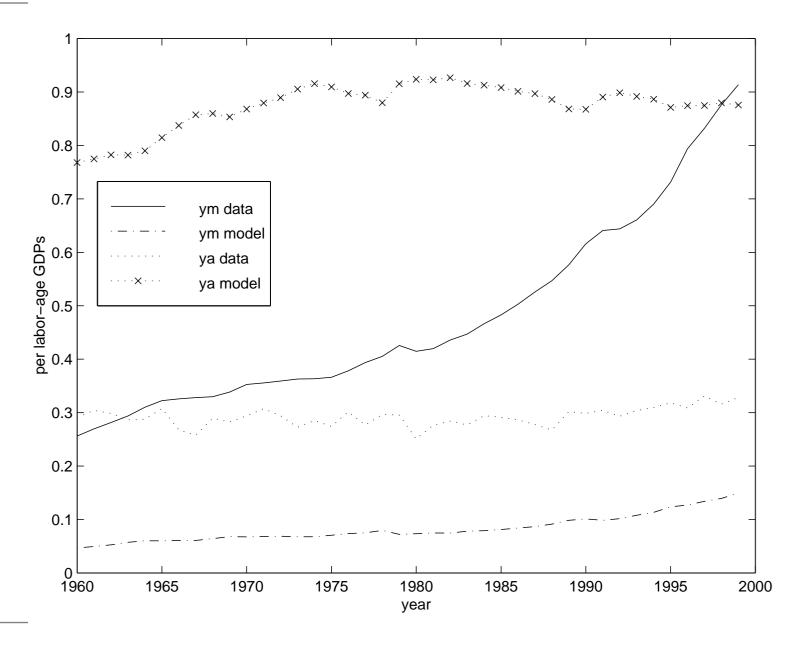
Results (Ratio, India)



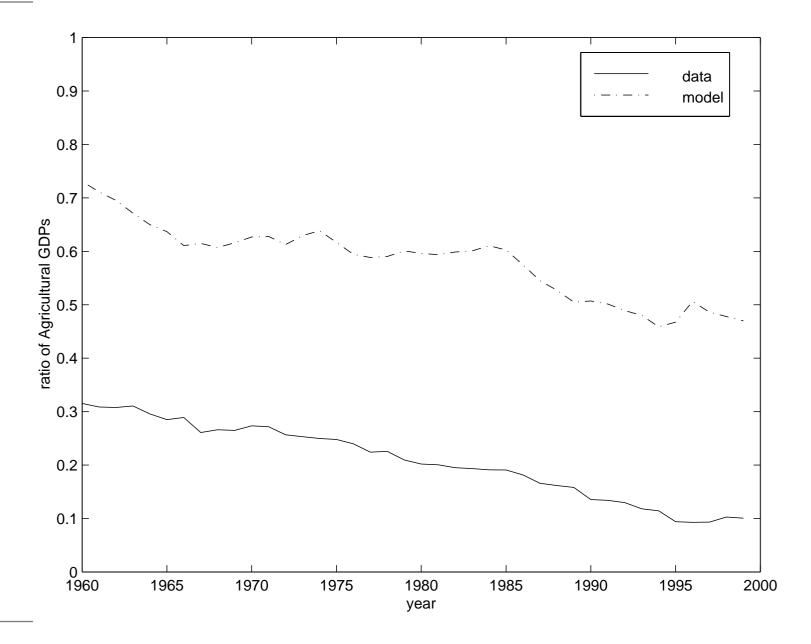
Results (CF, GDPs, Thailand)



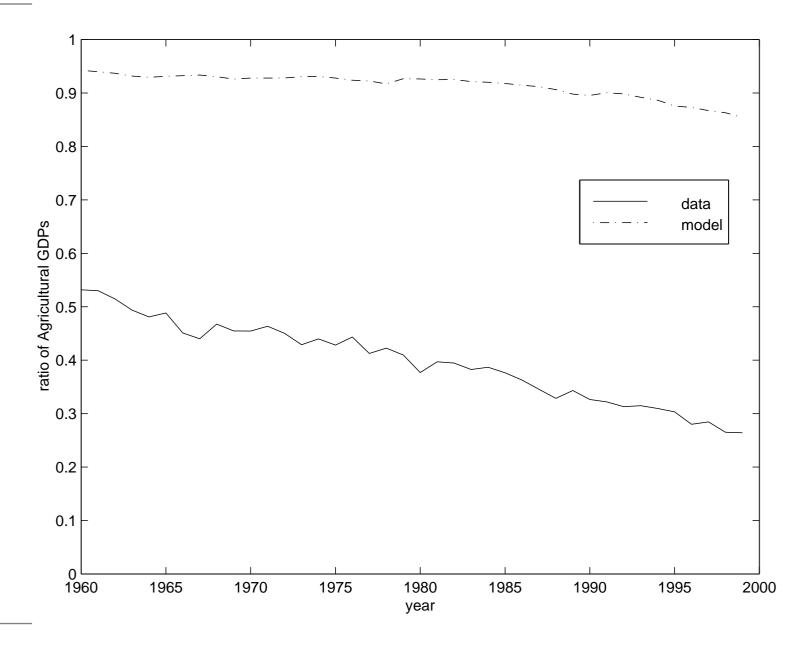
Results (CF, GDPs, India)



Results (CF, Ratio, Thailand)



Results (CF, Ratio, India)



Conclusion

- Agri production technology influences on the whole economy.
- Shortcomings
 - Closed Economy
 - Exogenous tech growth in Manuf