# International Trade and Domestic Production Network

Daisuke Fujii University of Tokyo

UTokyo Workshop for Global Value Chains

December 13, 2019

#### Section 1

Introduction

#### Motivation

- Recent development on the importance of a network structure in macro models
- No theoretical trade model explicitly recognizes a domestic inter-firm production network, (not industry-level IO structure)
- It is possible that many firms are indeed connected to foreign markets via indirect trade
  - e.g. Toyota and its suppliers in the domestic market
- This research investigates the importance and implications of indirect exporters both theoretically and empirically

## Why networks?

- Many "non-exporters" indeed export their value-added to foreign markets through direct exporters (regardless of their intention)
- It is important to capture the distance to foreign markets in terms of supply chains
- Trade statistics are gross values, not net values
- We need to modify trade models
  - The effect of trade liberalizations on firm inequality is altered

#### Firm-level trade data

- Recent surge of research using firm-level trade data
  - Trade and labor adjustments
  - Trade and innovation
  - FTA and resource reallocation between firms
- We need to capture firm-level "value-added" trade (customs records cannot reveal this information)
- Extreme example: wholesalers or product carry trade
- Service sectors play an important role in trade

## Melitz effect dampened?

- A driver of the Melitz effect (resource reallocation towards productive firms) is the relative advantage of exporters compared to non-exporters
- With domestic production network:
  - Size and employment differences get amplified
  - "Non-exporters" can export value-added indirectly via exporters
     distinction between exporters and non-exporters gets fuzzy
- This will dampen the Melitz effect (productivity gain via reallocation)?

## Empirical results

- Only 1.7% of firms directly export, but 21.3% is 1st-order indirect exporters
- On average, direct exporters have 35 suppliers whereas non-exporters have 4.6 suppliers
- More than half of firms have potential access to foreign markets within two transactions
- There is a strict ordering of size in the degree of indirect exporting
- There exists many indirect exporters even in construction or service sectors
- The upstream propagation elasticity is around 2~3% in terms of sales



#### Related literature

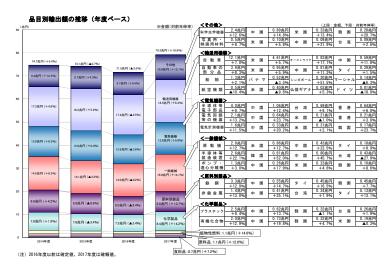
#### Trade

- Tintelnot, Kikkawa, Mogstad, and Dhyne (2018)
- Melitz (2003), Chaney (2008), Caliendo and Parro (2015), Autor, Dorn, and Hanson (2013)
- WIOD (World Input-Output Database), value-added trade

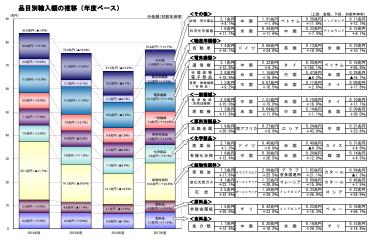
#### Networks

- Lim (2018)
- Carvalho (2010, 2014), Bernard et al. (2015), Atalay (2014),
   Baqaee (2015), Oberfield (2012), Acemoglu, Akcigit, and Kerr (2015)

## Japanese exports



## Japanese imports

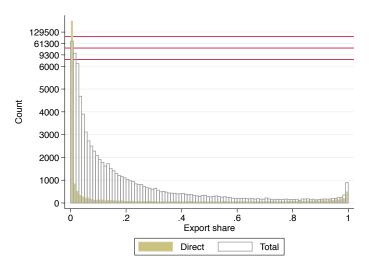


<sup>(</sup>注) 2016年度以前は確定値、2017年度は確報値。

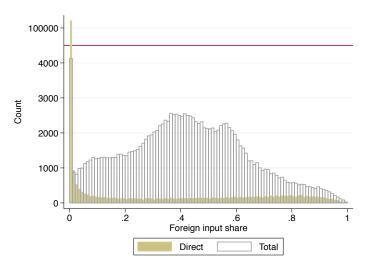
# Tintelnot et al. (2018)

- They also investigate the interplay between international trade and domestic production network
- Firm-to-firm transactions data (for VAT purpose) in Belgium
- It is revealed that many small firms are also connected to foreign markets via supply chains
- Indirect exports and indirect imports show different patterns

# Indirect export shares



# Indirect import shares



## Section 2

## Model

#### Overview

- Melitz-type export model with domestic production networks
- Preferences and production are both CES
- Continuum of firms -> computational simplicity
- Exogenous networks
- Labor is the only factor of production (L is supplied inelastically)
- Wage is normalized to be one
- Consider autarky first, then opening up for trade

#### Households

Utility of the representative household is given by

$$U = \left[ \int_{\Omega} x_{H} \left( \omega \right)^{\frac{\sigma - 1}{\sigma}} d\omega \right]^{\frac{\sigma}{\sigma - 1}}$$

where  $x_H(\omega)$  is the household's consumption of a variety  $\omega$ ,  $\Omega$  is the set of available goods, and  $\sigma$  is the elasticity of substitution across varieties.

ullet Demand for a variety  $\omega$  is

$$x_H(\omega) = \Delta_H p_H(\omega)^{-\sigma}$$

where  $\Delta_H \equiv UP_H^{\sigma}$  is a household demand shifter which is determined in a general equilibrium

• The associated ideal price index is given by

$$P_{H} = \left[ \int_{\Omega} p_{H} \left( \omega \right)^{1-\sigma} d\omega \right]^{\frac{1}{1-\sigma}}$$



#### **Firms**

- Each firm produces its output by combining labor and intermediate inputs produced by other firms
- ullet Firms are indexed by their fundamental productivity  $\phi$
- The cumulative distribution function of productivity is denoted by  $G_{\phi}$  with density  $g_{\phi}$  and support  $S_{\phi} \subseteq \mathbb{R}_{+}$
- $\bullet$  Firm-to-firm trade is characterized by a matching function  $m\left(\phi,\phi'\right)$ 
  - $\bullet$  Every  $\phi\text{-firm}$  can purchase inputs from a  $\phi^{'}\text{-firm}$  with a probability  $m\left(\phi,\phi^{'}\right)$
  - This matching function specifies the extensive margin of domestic production networks



#### Production

• Firm  $\phi$  produces its output  $X(\phi)$  according to the following CES production function:

$$X\left(\phi\right) = \left[\left[\phi I\left(\phi\right)\right]^{\frac{\sigma-1}{\sigma}} + \int_{S_{\phi}} m\left(\phi, \phi'\right) \left[\alpha x\left(\phi, \phi'\right)\right]^{\frac{\sigma-1}{\sigma}} dG_{\phi}\left(\phi'\right)\right]^{\frac{\sigma}{\sigma-1}}$$

where  $I(\phi)$  is the quantity of labor demanded and  $x\left(\phi,\phi'\right)$  is the quantity of intermediate inputs sourced from  $\phi'$ -firms

- The share of intermediate goods relative to labor inputs is controlled by  $\alpha$ . For aggregate variables to be finite, it is assumed that  $\alpha < 1$ .
- $\bullet$  The fundamental productivity  $\phi$  can be considered as labor productivity

## Marginal cost

• The marginal cost of a  $\phi$ -firm is given by:

$$\eta\left(\phi\right) = \left[\phi^{\sigma-1} + \alpha^{\sigma-1} \int_{S_{\phi}} m\left(\phi, \phi'\right) \left[p\left(\phi, \phi'\right)\right]^{1-\sigma} dG_{\phi}\left(\phi'\right)\right]^{\frac{1}{1-\sigma}}$$

$$\tag{1}$$

where  $p\left(\phi,\phi^{'}\right)$  is the price of intermediate inputs charged by  $\phi^{'}\text{-firms}$ 

• It is clear that the marginal cost is decreasing in  $\phi$  and increasing in  $p\left(\phi,\phi'\right)$ . If a firm has access to low-cost suppliers, it will be reflected in the lower marginal cost

#### Market structure

- Since each buyer faces a continuum of sellers, monopolistic competition is assumed
- Each seller does not have any marketing power since they face many other competitors though the mass can be very small. Hence, the profit-maximizing prices charged by a  $\phi$ -firm is given by

$$p_{H}(\phi) = p\left(\phi',\phi\right) = \mu\eta\left(\phi\right) \ \forall \phi'$$
 (2)

where  $\mu = \frac{\sigma}{\sigma - 1}$  is the standard CES markup.

#### Network variables

Define firms' "network productivity" as follows

$$\Phi\left(\phi\right) \equiv \eta\left(\phi\right)^{1-\sigma}$$

 We obtain the following equation to determine firms' network productivity

$$\Phi\left(\phi\right) = \phi^{\sigma-1} + \left(\frac{\alpha}{\mu}\right)^{\sigma-1} \int_{S_{\phi}} m\left(\phi, \phi'\right) \Phi\left(\phi'\right) dG_{\phi}\left(\phi'\right)$$

- The above integral equation is classified as an inhomogenous Fredholm equation of the second kind, where  $m\left(\phi,\phi'\right)$  is the kernel.
- Since  $\left(\frac{\alpha}{\mu}\right)^{\sigma-1} < 1$  and  $m\left(\phi,\phi'\right) \leq 1$  for all firm pairs, contraction mapping can be applied to the integral equation
- Solving for  $\Phi\left(\phi\right)$  is easy in Matlab (standard iteration process)



#### Two extreme cases

**1** No network:  $m\left(\phi,\phi'\right)=0$  for all  $\phi,\phi'$  pairs -> Melitz (2003)

$$\Phi\left(\phi\right) = \phi^{\sigma - 1}$$

② Lattice network:  $m\left(\phi,\phi^{'}\right)=1$  for all  $\phi,\phi^{'}$  pairs

$$\Phi\left(\phi\right) = \phi^{\sigma-1} + C$$

## Numerical example

• Log-normal distribution for the fundamental productivity  $\phi$  with a mean  $\mu$  and variance  $\sigma^2$ 

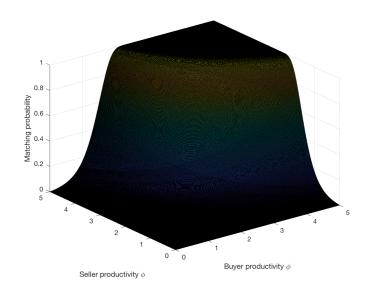
$$g_{\phi}\left(\phi
ight)=rac{1}{\phi\sigma\sqrt{2\pi}}\exp\left[-rac{(\ln\phi-\mu)^{2}}{2\sigma^{2}}
ight] ext{ for } \phi\in\left(0,\infty
ight)$$

• Gompertz distribution for the matching function with a scale parameter b>0 and shape parameter s>0

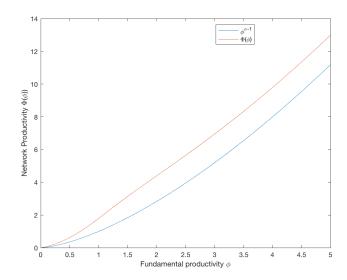
$$\textit{m}\left(\phi,\phi^{'}\right) = 1 - \exp\left[-b\left[\exp\left(s\times\phi\times\phi^{'}\right) - 1\right]\right] \text{ for } \phi,\phi^{'} \in [0,\infty)$$

• Gompertz is heavily used in survival analysis, and the sign of the elasticity gradient of the distribution is variable when  $s \in (0,1)$ 

# Matching function



# Network productivity



1

## Numerical example 2

 $\bullet$  Pareto distribution for the fundamental productivity  $\phi$  with a shape parameter  $\theta$ 

$$g_{\phi}\left(\phi\right) = \theta\phi^{-\left(\phi+1\right)} \text{ for } \phi \in [1,\infty)$$

• CDF of "Bivariate Pareto distribution" for the matching function with two parameters  $\lambda_c$  and  $\lambda_s$ 

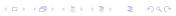
$$m\left(\phi,\phi^{'}\right)=1-\phi^{-\lambda_{c}}\phi^{'-\lambda_{s}} ext{ for } \phi,\phi^{'}\in\left[1,\infty\right)$$

• In this special case, we obtain an analytical expression for  $\Phi(\phi)$ 

$$\Phi\left(\phi\right) = \phi^{\sigma-1} - c_1 \phi^{-\lambda_c} + c_2$$

where  $c_1$  and  $c_2$  are constants determined by parameters

• We have  $\Phi'(\phi) > 0$ 



## Determining constants

•  $c_1$  and  $c_2$  are the solution for the following linear equations

$$\begin{bmatrix} c_1 \\ c_2 \end{bmatrix} = \left( \mathbf{I} - \left( \frac{\alpha}{\mu} \right)^{\sigma - 1} \begin{bmatrix} \frac{\theta}{\theta + \lambda_{\delta} + \lambda_{s}} & \frac{\theta}{\theta + \lambda_{s}} \\ \frac{\theta}{\theta + \lambda_{c}} & 1 \end{bmatrix} \right)^{-1} \times \left( \frac{\alpha}{\mu} \right)^{\sigma - 1} \begin{bmatrix} \frac{\theta}{\theta - (\sigma - 1) + \lambda_{s}} \\ \frac{\theta}{\theta - (\sigma - 1)} \end{bmatrix}$$

#### Network demand

Network demand is defined as follows

$$\Delta\left(\phi\right) = \mu^{-\sigma} + \mu^{-\sigma}\alpha^{\sigma-1} \int_{\mathcal{S}_{\phi}} m\left(\phi',\phi\right) \Delta\left(\phi'\right) dG_{\phi}\left(\phi'\right)$$

- Due to the limited identification, heterogeneity in a preference parameter is not allowed
- Unique solution is guaranteed
- In the earlier examples,  $\frac{d\Delta}{d\phi} > 0$

# Firm size and profit

ullet Firm  $\phi$ 's total revenue, variable profit, and labor demand are respectively given by the following

$$R(\phi) = \mu \Delta_H \Delta(\phi) \Phi(\phi)$$
  

$$\pi(\phi) = (\mu - 1) \Delta_H \Delta(\phi) \Phi(\phi) - f$$
  

$$I(\phi) = \Delta_H \Delta(\phi) \phi^{\sigma - 1}$$

Total output is given by

$$X(\phi) = \Delta_{H}\Delta(\phi)\Phi(\phi)^{\frac{\sigma}{\sigma-1}}$$

ullet In the numerical example (Pareto case), for  $\phi^{'}>\phi$ ,

$$\frac{I\left(\phi^{'}\right)}{I\left(\phi\right)} = \frac{\Delta\left(\phi^{'}\right)}{\Delta\left(\phi\right)} \left(\frac{\phi^{'}}{\phi}\right)^{\sigma-1} > \left(\frac{\phi^{'}}{\phi}\right)^{\sigma-1}$$



## Fixed and entry costs

- f : per-period fixed cost for domestic sales (in units of labor)
- f<sub>e</sub>: sunk cost for entry
- ullet  $\delta$  : exogenous death shock rate
- If a firm pays  $f_e$  , it can draw a productivity from an exogenous distribution  $f(\phi)$
- If the operating profit  $\pi(\phi) f$  is negative, the firm immediately exits the market  $-> g(\phi)$  is a truncated distribution of  $f(\phi)$
- Let  $\phi^*$  be the cutoff firm  $-> S_{\phi}$  is then  $[\phi^*, \infty)$



## Aggregate variables

 $\bullet$  Define the average network productivity  $\tilde{\Phi}$  as

$$\tilde{\Phi}\left(\phi^{*}\right) = \left[\int_{\phi^{*}}^{\infty} \Phi\left(\phi\right) g\left(\phi\right) d\phi\right]^{\frac{1}{\sigma-1}}$$

ullet Define the average "size" measure  $ilde{\chi}$  as

$$ilde{\chi}\left(\phi^{*}
ight)=\int_{\phi^{*}}^{\infty}\Delta\left(\phi
ight)\Phi\left(\phi
ight)g\left(\phi
ight)d\phi$$

- Let *M* be the mass of operating firms
- Aggregate revenue and profit are

$$R = M\mu\Delta_{H}\tilde{\chi}(\phi^{*})$$
  

$$\Pi = (\mu - 1) M\mu\Delta_{H}\tilde{\chi}(\phi^{*}) - fM$$

## Zero cutoff profit condition

• By definition,  $\pi(\phi^*) = 0$  or

$$(\mu - 1) \Delta_{H} \Delta (\phi^{*}) \Phi (\phi^{*}) = f$$

• The average profit  $\bar{\pi} = \frac{\Pi}{M}$  is then

$$ar{\pi} = f \left[ rac{ ilde{\chi} \left( \phi^* 
ight)}{\Delta \left( \phi^* 
ight) \Phi \left( \phi^* 
ight)} - 1 
ight]$$

- $\bar{\pi}$  is decreasing in  $\phi^*$ ? -> ZCP condition
  - ullet This depends on  $m\left(\phi,\phi^{'}
    ight)$  and  $g\left(\phi
    ight)$

## Free entry condition

Each firm's value function is

$$v\left(\phi
ight)=\max\left\{ 0,rac{1}{\delta}\pi\left(\phi
ight)
ight\}$$

The net value of entry is

$$v_{\mathrm{e}} = p_{\mathrm{in}}ar{v} - f_{\mathrm{e}} = rac{1 - F\left(\phi^{*}\right)}{\delta}ar{\pi} - f_{\mathrm{e}}$$

Hence, the free entry (FE) condition is

$$\bar{\pi} = \frac{\delta f_{e}}{1 - F\left(\phi^{*}\right)}$$

which is increasing in  $\phi^*$ 



# Stationary equilibrium

• Under certain conditions with  $m\left(\phi,\phi'\right)$  and  $g\left(\phi\right)$ , a unique solution for  $(\bar{\pi},\phi^*)$  can be characterized

# Labor Market clearing

- *L<sub>p</sub>* : labor used for production
- L<sub>e</sub>: labor used for entry investment
- Labor market clearing:

$$\int_{S_{\phi}} I(\phi) dG_{\phi}(\phi) = L - L_{e}$$

# Stability conditions

- Firm inflow = firm outflow:  $p_{in}M_e = \delta M$
- With FE condition,

$$L_e = M_e f_e = \frac{\delta M}{p_{in}} f_e = M \bar{\pi} = \Pi$$

#### Household demand and welfare

The demand shifter is

$$\Delta_{h} = \frac{L}{\int_{s_{\phi}} \Delta(\phi) \, \phi^{\sigma-1} dG_{\phi}(\phi)}$$

Price index is

$$P_{H} = \mu M^{\frac{1}{1-\sigma}} \left[ \int_{\phi^{*}}^{\infty} \Phi\left(\phi\right) dG\left(\phi\right) \right]^{\frac{1}{1-\sigma}} = \mu M^{\frac{1}{1-\sigma}} \tilde{\Phi}^{-1}$$

Household welfare is

$$U = \mu^{-\sigma} M^{\frac{1}{\sigma - 1}} \frac{\tilde{\Phi}^{\sigma}}{\int_{\phi^*}^{\infty} \Delta(\phi) \, \phi^{\sigma - 1} g(\phi) \, d\phi}$$

### Exporting

- Now, consider that domestic firms have an option of exporting their products to a foreign country.
- Two symmetric countries
- Cross-border firm-to-firm trade is not allowed
  - Home firms can export only to the consumers in the foreign country, not to the foreign firms, and they cannot import any foreign inputs
- To export, firms must incur a standard iceberg trade cost  $\tau > 1$  and a fixed cost  $f_x$  in terms of labor a la Melitz (2003).

## Export profit and cutoff

ullet The net export profit of a firm  $\phi$  is

$$\pi_{\mathsf{x}}\left(\phi\right) = \left(\mu - 1\right) \Delta_{\mathsf{F}} \tau^{1 - \sigma} \Phi\left(\phi\right) - f_{\mathsf{x}}$$

ullet The export cutoff productivity denoted by  $\phi_X$  satisfies

$$\Phi\left(\phi_X\right) = \frac{f_X \tau^{\sigma-1}}{\left(\mu - 1\right)\Delta_F}$$

- Assume  $\tau^{\sigma-1}f_{x} > f$
- As we expect,  $\phi_X$  is increasing in the fixed cost  $f_X$  and iceberg cost  $\tau$  and decreasing in the foreign demand shifter  $\Delta_F$ .

### Indirect exporters

- Only the most productive firms will directly export to the foreign market. Yet, there are many other firms whose value-added is indirectly exported via direct exporters
- The share of direct exporters (degree 0 indirect exporters) is given by

$$s_X^{(0)} = \int_{\phi_X}^{\infty} dG_{\phi}(\phi)$$

The share of first-degree indirect exporters is

$$s_{X}^{(1)} = \int_{0}^{\infty} \int_{\phi_{X}}^{\infty} m\left(\phi, \phi^{'}\right) dG_{\phi}\left(\phi\right) dG_{\phi}\left(\phi^{'}\right)$$



### Higher-degree indirect exporters

Define an indirect matching functions recursively as follows

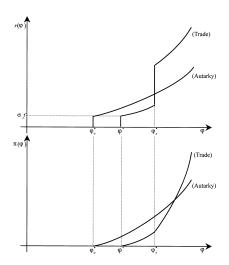
$$m^{(d)} = \int_{\mathcal{S}_{\phi}} m^{(d-1)} \left( \phi, \phi'' \right) m \left( \phi'', \phi' \right) dG_{\phi} \left( \phi'' \right)$$

Then, the share of higher-degree indirect exporters is given by

$$s_{X}^{(n)} = \int_{0}^{\infty} \int_{\phi_{X}}^{\infty} m^{(n)} \left(\phi, \phi^{'}\right) dG_{\phi} \left(\phi\right) dG_{\phi} \left(\phi^{'}\right)$$



### Melitz Effect



### Dampened Melitz effects

- Opening up for trade induces  $\phi^*$  to be higher
- Due to CES, no effect of import competition on markup
- Reallocation occurs since firms compete for the same factor input (labor)
- Increased labor usage of exporters propagates to indirect exporters with domestic production network
- Compared to no network case, this will dampen the Melitz effect ( $\phi^*$  does not rise as much)
- With network, two competing forces
  - amplified employment size differences
  - propagation of increased demand from exporters to non-exporters



#### Section 3

# Empirical Evidence

#### Data

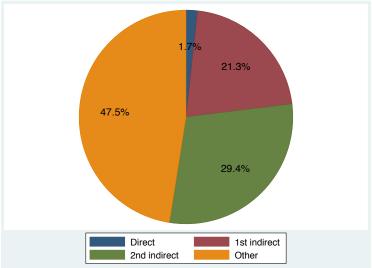
- Tokyo Shoko Research (TSR)
  - about a million firms information (address, industry classification, sales, # of employees etc.)
  - supplier and customer information for each firm up to 24 partners
  - by combining self- and other-reported data, we can capture the transaction network quite well
  - years: 2006, 2011, 2012, 2014
  - 2014 data include export and import flag for each firm
- Kikatsu
  - Panel data of firm information for relatively large firms (around 30,000 firms per year)
  - Firm-level export and import values



### Indirect exporters

- Direct exporters (D): Firms that directly export to foreign markets
- 1st-degree indirect exporters (1E): Firms that do not export but at least one of their customers exports
- 2nd-degree indirect exporters (2E): Firms that are not in the above two groups but one of their customers' customers exports
- Other firms (O): Other firms who need at least three downstream links to reach an exporter

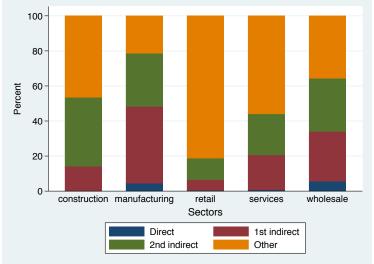
## Share of indirect exporters



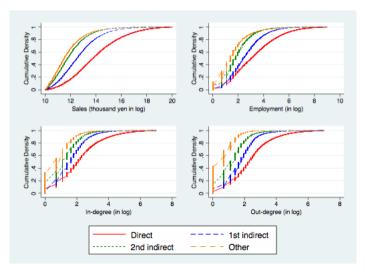
## Share of indirect exporters (by sectors)

	# of firms	#of D	# of 1E	# of 2E	# of O
manufacturing	159117 (16%)	7238 (42%)	69537 (33%)	48392 (17%)	33950 (7%)
construction	327667 (33%)	210 (1%)	46349 (22%)	128709 (44%)	152399 (33%)
wholesale	128093 (13%)	7253 (42%)	36310 (17%)	38863 (13%)	45667 (10%)
retail	114225 (12%)	587 (3%)	6869 (3%)	14000 (5%)	92769 (20%)
services	255661 (26%)	1838 (11%)	50819 (11%)	60016 (21%)	142988 (31%)
All	984763 (100%)	17126 (100%)	209884 (100%)	289980 (100%)	467773 (100%)

## Share of indirect exporters (by sectors)



## Empirical CDF by exporter types



### Estimation of propagation effects

- Analyze the sales growth rates of direct and indirect exporters in years 2005 and 2010 separately
- 2005: Increased exports due to Yen depreciation
- Simple DID regression analysis
- Three types of direct exporters:
  - Direct exporters (any firm whose export volume is positive)
  - Net exporters (firms that export but do not import)
  - Intense exporters (firms whose export sales is more than 10% of total sales)

## Number of firms in each export groups

	direct	1st-degree	2nd-degree
exporter	3,701	88,090	137,839
net exporter	1,141	36,962	136,378
intense exporter	1,212	49,900	120,818

# Upstream propagation (2005)

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	sales growth									
1E	0.021*** (0.001)		0.026*** (0.001)	0.023*** (0.002)					0.014*** (0.002)	0.009*** (0.002)
2E	(0.002)	0.004*** (0.001)	0.012*** (0.001)	0.010***					(0.00-)	(0.00-)
1NE		, ,	` '		0.028*** (0.002)	0.025*** (0.002)			0.007*** (0.002)	
2NE					0.015***	0.012*** (0.001)			(0.00-)	
1IE					(0.002)	(0.302)	0.032*** (0.002)	0.030*** (0.002)		(0.002)
2IE							0.015*** (0.001)	0.014*** (0.001)		(0.002)
in-degree				-0.003*** (0.001)		-0.003*** (0.001)		-0.003*** (0.001)	-0.003*** (0.001)	-0.003*** (0.001)
out-degree				0.006***		0.006***		0.006***	0.007***	0.007***
employment	0.019*** (0.000)	0.019*** (0.000)	0.018*** (0.000)	0.016*** (0.001)	(0.000)	0.016*** (0.001)	(0.000)	0.016*** (0.001)	0.016*** (0.001)	0.016*** (0.001)
age	-0.001*** (0.000)									
Constant	0.022*** (0.006)	0.022*** (0.006)	0.020*** (0.006)	0.028*** (0.008)	0.021*** (0.006)	0.029*** (0.008)	0.021*** (0.006)	0.030*** (0.008)	0.032*** (0.008)	0.032*** (0.008)
2-digit JSIC FE	Yes									
Prefecture FE	Yes									
Observations	462,083	462,083	462,083	285,910	462,083	285,910	462,083	285,910	285,910	285,910
R-squared	0.019	0.019	0.020	0.022	0.020	0.022	0.020	0.023	0.022	0.022

## Sectoral heterogeneity of propagation effects (2005)

	exporters		net ex	porters	intense exporters		
	(1)	(2)	(3)	(4)	(5)	(6)	
	sales growth	sales growt					
1E	0.025***		0.026**		0.027***		
	(0.007)		(0.011)		(0.009)		
1E×manufacturing	-0.010		-0.007		-0.006		
	(0.007)		(0.011)		(0.009)		
1E×construction	-0.001		-0.002		0.001		
	(0.007)		(0.012)		(0.010)		
1E×wholesale	0.006		0.007		0.015*		
	(0.007)		(0.011)		(0.009)		
1E×services	-0.012*		-0.016		-0.014		
	(0.007)		(0.011)		(0.009)		
2E		0.007		0.011**		0.010**	
		(0.004)		(0.005)		(0.005)	
2E×manufacturing		-0.011**		-0.008		-0.011**	
		(0.005)		(0.005)		(0.005)	
2E×construction		0.002		0.001		0.005	
		(0.005)		(0.005)		(0.005)	
2E×wholesale		-0.004		0.006		0.001	
		(0.005)		(0.005)		(0.006)	
2E×services		-0.001		-0.002		0.000	
		(0.005)		(0.005)		(0.005)	
employment	0.019***	0.019***	0.019***	0.019***	0.019***	0.019***	
	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	
age	-0.001***	-0.001***	-0.001***	-0.001***	-0.001***	-0.001***	
	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	
Constant	0.023***	0.024***	0.023***	0.023***	0.023***	0.023***	
	(0.006)	(0.007)	(0.006)	(0.006)	(0.006)	(0.006)	
2-digit JSIC FE	Yes	Yes	Yes	Yes	Yes	Yes	
Prefecture FE	Yes	Yes	Yes	Yes	Yes	Yes	
Observations	462,083	462,083	462,083	462,083	462,083	462,083	
R-squared	0.019	0.019	0.019	0.019	0.019	0.019	

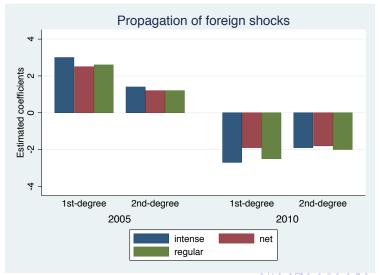
## Differential sales growth of exporters (2010)

	(1)	(2)	(3)	(4)	(5)
	sales growth				
exporter	-0.0346***		-0.0391***		-0.0280***
	(0.0043)		(0.0049)		(0.0053)
importer		-0.0094**	0.0088*		0.0098**
		(0.0041)	(0.0047)		(0.0047)
net exporter				-0.0343***	
				(0.0062)	
net importer				0.0115*	
				(0.0060)	
intense exporter					-0.0370***
					(0.0071)
log of employment	0.0266***	0.0273***	0.0267***	0.0273***	0.0264***
	(0.0025)	(0.0025)	(0.0025)	(0.0025)	(0.0025)
log of total asset	0.0006	-0.0014	0.0004	-0.0015	0.0010
	(0.0019)	(0.0019)	(0.0019)	(0.0019)	(0.0019)
constant	-0.1794**	-0.1692**	-0.1806**	-0.1752**	-0.1833**
	(0.0733)	(0.0734)	(0.0733)	(0.0734)	(0.0733)
2-digit JSIC FE	Yes	Yes	Yes	Yes	Yes
Prefecture FE	Yes	Yes	Yes	Yes	Yes
Observations	23,174	23,174	23,174	23,174	23,174
R-squared	0.1687	0.1666	0.1689	0.1677	0.1698

# Upstream propagation (2010)

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
	sales growth	sales growth	sales growth	sales growth				
1E	-0.016*** (0.001)		-0.027*** (0.001)	-0.025*** (0.002)				
2E	(0.001)	-0.012*** (0.001)	-0.020*** (0.001)	-0.020*** (0.001)				
1NE		(0.001)	(0.001)	(0.001)	-0.025*** (0.002)	-0.019*** (0.002)		
2NE					-0.021*** (0.001)	-0.018*** (0.001)		
1IE					(0.001)	(0.001)	-0.031*** (0.002)	-0.027*** (0.002)
2IE							-0.021*** (0.001)	-0.019*** (0.001)
in-degree				-0.010*** (0.001)		-0.010*** (0.001)		-0.010*** (0.001)
out-degree				0.000		-0.001 (0.001)		-0.000 (0.001)
employment	0.015*** (0.000)	0.015*** (0.000)	0.016*** (0.000)	0.019*** (0.001)	0.016*** (0.000)	0.019*** (0.001)	0.017*** (0.000)	0.019*** (0.001)
age	-0.001*** (0.000)							
Constant	-0.041*** (0.005)	-0.038*** (0.005)	-0.036*** (0.005)	-0.043*** (0.007)	-0.038*** (0.005)	-0.046*** (0.007)	-0.038*** (0.005)	-0.046*** (0.007)
2-digit JSIC FE	Yes							
Prefecture FE	Yes							
Observations	710,061	710,061	710,061	446,671	710,061	446,671	710,061	446,671
R-squared	0.012	0.012	0.012	0.014	0.012	0.014	0.013	0.014

## Upstream propagation of foreign shocks



#### Conclusion

#### Empirics

- Only 1.7% of firms directly export, but 21.3% is 1st-order indirect exporters
- More than half of firms have potential access to foreign markets within two transactions
- There is a strict ordering of size in the degree of indirect exporting
- There exists many indirect exporters even in construction or service sectors
- The upstream propagation elasticity is around 2~3% in terms of sales

#### Theory

- Domestic production networks amplify the productivity difference -> more skewed size distribution
- Melitz-type effects are dampened

### Appendix: Network Demand

 The analytical expression for the network demand in special case (Pareto assumption) is

$$\Delta\left(\phi\right)=c_4-c_3\phi^{-\lambda_s}$$

with

$$c_{3} = \left(\frac{\lambda_{s} + \lambda_{c} + \theta}{\lambda_{s} + \lambda_{c} + \theta + \gamma \theta}\right) \left(\gamma \frac{\theta}{\theta + \lambda_{c}}\right) c_{4}$$

$$c_{4} = \frac{1}{1 - \gamma} \left(\mu^{-\sigma} - \gamma \frac{\theta}{\theta + \lambda_{s}} c_{3}\right)$$